### **COURSE OUTLINE**

# (1) GENERAL

| SCHOOL   | NATURAL SCIENCES                             |                             |           |     |
|--|--|-----------------------------|-----------|-----|
| ACADEMIC UNIT  | DEPARTMENT OF PHYSICS                        |                             |           |     |
| LEVEL OF STUDIES   | UNDERGRADUATE                                |                             |           |     |
| COURSE CODE  | 112  |                             | SEMESTER  | 6,8 |
| COURSE TITLE   | MATHEMATICS FOR PHYSICISTS                   |                             |           |     |
| <b>INDEPENDENT TEACHING ACTIVITIES</b><br>if credits are awarded for separate components of the course, e.g.<br>lectures, laboratory exercises, etc. If the credits are awarded for the<br>whole of the course, give the weekly teaching hours and the total credits |  | WEEKLY<br>TEACHINO<br>HOURS | G CREDITS |     |
|  |  |                             | 4         | 4   |
|  |  |                             |           |     |
|  |  |                             |           |     |
| Add rows if necessary. The organisation of teaching and the teaching   |  |                             |           |     |
| methods used are described in detail at (a).   |  |                             |           |     |
| course i tree<br>aeneral backaround  | special background                           |                             |           |     |
| special background, specialised general  |  |                             |           |     |
| knowledge, skills development  |  |                             |           |     |
| PREREQUISITE COURSES:  |  |                             |           |     |
| LANGUAGE OF INSTRUCTION  | Greek  |                             |           |     |
| and EXAMINATIONS:  |  |                             |           |     |
| IS THE COURSE OFFERED TO   | Yes  |                             |           |     |
| ERASMUS STUDENTS   |  |                             |           |     |
| COURSE WEBSITE (URL)   | http://ecourse.uoi.gr/course/view.php?id=359 |                             |           |     |
|  |  |                             |           |     |

### (2) LEARNING OUTCOMES

#### Learning outcomes

The course learning outcomes, specific knowledge, skills and competences of an appropriate level, which the students will acquire with the successful completion of the course are described.

Consult Appendix A

- Description of the level of learning outcomes for each qualifications cycle, according to the Qualifications Framework of the European Higher Education Area
- Descriptors for Levels 6, 7 & 8 of the European Qualifications Framework for Lifelong Learning and Appendix B
- Guidelines for writing Learning Outcomes

After the successful completion of the course, the student will be able to:

- 1. Develop techniques for the solution of mathematical problems that predominantly arise in physics.
- 2. Judge correctly and decide between the mathematical accuracy and the physical perspective.
- 3. Solve specific physical problems that will be employed in Classical and Quantum Physics at an advanced level.
- 4. Develop general techniques for mathematical solutions.

#### **General Competences**

Taking into consideration the general competences that the degree-holder must acquire (as these appear in the Diploma Supplement and appear below), at which of the following does the course aim?

Search for, analysis and synthesis of data and information, with the use of the necessary technology Adapting to new situations Decision-making Project planning and management Respect for difference and multiculturalism Respect for the natural environment Showing social, professional and ethical responsibility and Working independently Team work Working in an international environment Working in an interdisciplinary environment Production of new research ideas sensitivity to gender issues Criticism and self-criticism Production of free, creative and inductive thinking

Others...

Production of free, creative and inductive thinking. Working independently. Production of new research ideas.

# (3) SYLLABUS

Finite linear vector spaces. Infinite linear vector spaces. Curved coordinate systems. Integral transformations. Conformal transformations. Distributions theory. Differential equations and classical functions. The Sturm-Liouville problem. Solution of differential equations through the Green method. Integral equations.

### (4) TEACHING and LEARNING METHODS - EVALUATION

| Face-to-face  |  |  |  |
|---|--|--|--|
| Use of the course web page on http://ecourse.uoi.gr<br>to post notes, exercise sheets and to communicate<br>with the students   |  |  |  |
| Activity  | Semester workload  |  |  |
| Lectures  | 39   |  |  |
| Problem Solving   | 13   |  |  |
| Study of Bibliography   | 25   |  |  |
| Independent Study   | 20   |  |  |
| Exams   | 3  |  |  |
|   |  |  |  |
|   |  |  |  |
|   |  |  |  |
|   |  |  |  |
| Course total  | 100  |  |  |
| Submission of homeworks every week for<br>assessment.<br>Presentations by the students on weekly basis.<br>End-of-semester written exams (3 hours) on<br>problem solving. |  |  |  |
|   | Face-to-face Use of the course web page to post notes, exercise shew with the students          Activity         Lectures         Problem Solving         Study of Bibliography         Independent Study         Exams         Course total         Submission of homeworks         assessment.         Presentations by the stude         End-of-semester written exproblem solving. |  |  |

# (5) ATTACHED BIBLIOGRAPHY

- Suggested bibliography:

D. Logan, Εφαρμοσμένα Μαθηματικά, ΙΤΕ, Πανεπ. Εκδοσεις Κρήτης, 2010
 I. Βέργαδος, Μαθηματικές Μέθοδοι Φυσικής, Τόμος Ι, ΙΤΕ, Πανεπ. Εκδοσεις Κρήτης, 2011

- Related bibliography:

3) F. W. Byron, Jr. and R. W. Fuller, Mathematics of Classical and Quantum Physics, Dover, 1969

4) Matthews & R. L. Walker, Mathematical Methods of Physics, Benjamin.

5) P. Dennery and A. Krzywicki, Mathematics for Physicists, Dover, 1995

6) G. B. Arfken & H. J. Weber, Mathematical Methods for Physicists, 6<sup>th</sup> edition, Elsevier Inc.